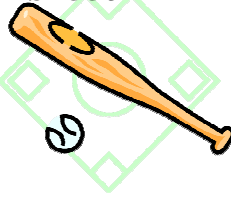


3 Strikes Yer Out!

1ST TRY... 3 POINTS
2ND TRY... 2 POINTS
3RD TRY... High five!

Worksheet A - 4.5



Group Members:

KEY

1. Find the linearization of $f(x) = \frac{4}{x^4} - 2x$ at $x = -1$.

$$f'(x) = \frac{-16}{x^5} - 2$$

$$f'(-1) = \frac{-16}{-1} - 2 = 14$$

$$f(-1) = 4 + 2 = 6$$

$$y - 6 = 14(x + 1)$$

$$L(x) = 14(x + 1) + 6$$

$$L(x) = 14x + 20$$

2. Use the linearization in #1 to estimate $f(-0.99)$.

$$L(-0.99) = 14(-0.99 + 1) + 6 = .14 + 6 = \boxed{6.14}$$

3. Find the exact value of $f(-0.99)$ and then find the approximation error.

$$f(-0.99) = 6.144081423$$

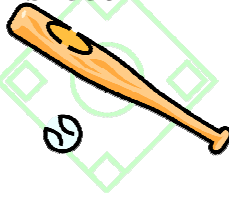
$$\text{Error} \approx .00408$$

Error is less than 10^{-2} .

3 Strikes Yer Out!

Worksheet B - 4.5

1ST TRY... 3 POINTS
2ND TRY... 2 POINTS
3RD TRY... High five!



Group Members:

KEY

1. Find dy if $y = \frac{7}{2}x^2 - 3x + 1$, $x = 4$, $dx = .03$

$$\frac{dy}{dx} = 7x - 3$$

$$dy = (7x - 3)dx$$

$$dy = (7 \cdot 4 - 3)(.03) = 25 \cdot (.03) = \boxed{.75}$$

2. Given the function: $f(x) = \frac{x-4}{x+2}$, $x = 1$, $dx = .02$. Find the:

a) true change

$$f(1.02) - f(1) = -.9867549669 + 1 \approx \boxed{.013245}$$

b) estimated change

$$\frac{df}{dx} = \frac{(x+2)(1) - (x-4)(1)}{(x+2)^2} = \frac{6}{(x+2)^2} \quad df = \frac{6 \cdot .02}{9} = \boxed{.013}$$

c) approximation error

$$8.83 \times 10^{-5} \quad \text{Error is less than } 10^{-4}.$$

3. How accurately should you measure the radius of a sphere so that the surface area is within 5% of its true value?

$$dA = .05A$$

$$A = 4\pi r^2$$

$$\frac{dA}{dr} = 8\pi r$$

$$dA = 8\pi r dr$$

$$.05A = 8\pi r dr$$

$$dr = ?$$

$$\frac{.05 \cdot 4\pi r^2}{8\pi r} = \frac{8\pi r dr}{8\pi r}$$

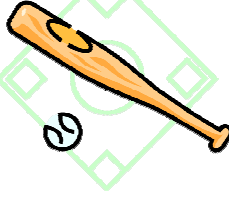
$$.025r = dr$$

The radius should be measured to within 2.5% of its true value.

3 Strikes Yer Out!

Worksheet C - 4.6

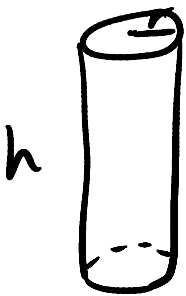
1ST TRY... 3 POINTS
2ND TRY... 2 POINTS
3RD TRY... High five!



Group Members:

KEY

A slinky, which is essentially a cylinder, is being stretched apart. The length of the slinky is stretching at a rate of 4 cm per second, and the volume of the slinky stays constant. At what rate is the radius of the slinky shrinking when the radius is 3 cm and the length is 10 cm?



$$\frac{dh}{dt} = 4 \quad V \text{ is constant!}$$

$$\frac{dr}{dt} = ? \quad r = 3 \quad h = 10$$

$$V = \pi r^2 h$$

$$0 = \pi r^2 \frac{dh}{dt} + 2\pi r h \frac{dr}{dt}$$

$$0 = \pi (3)^2 (4) + 2\pi (3)(10) \frac{dr}{dt}$$

$$0 = 36\pi + 60\pi \frac{dr}{dt}$$

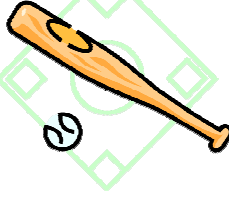
$$-36\pi = 60\pi \frac{dr}{dt}$$

$$\frac{dr}{dt} = \boxed{-.6 \text{ cm/sec.}}$$

3 Strikes Yer Out!

Worksheet D - 4.6

1ST TRY... 3 POINTS
2ND TRY... 2 POINTS
3RD TRY... High five!



Group Members:

KEY

Mike is at a birthday party and decides it would be funny to suck the helium out of a spherical balloon. If Mike can suck the helium out of the balloon at a rate of 4 cubic inches per second, at what rate will the radius be shrinking when the radius is 2 inches?

$$\frac{dV}{dt} = -4 \quad \frac{dr}{dt} = ? \quad r = 2$$

$$V = \frac{4}{3} \pi r^3$$

$$\frac{dV}{dt} = 4\pi r^2 \frac{dr}{dt}$$

$$-4 = 4\pi (2)^2 \cdot \frac{dr}{dt}$$

$$-4 = 16\pi \frac{dr}{dt}$$

$$\frac{dr}{dt} = -\frac{1}{4\pi} \approx$$

$$\boxed{-.080 \text{ in/sec.}}$$

Names:

Worksheet	1st Attempt – 3 points	2nd Attempt – 2 points	3rd Attempt – HIGH FIVE!
A			
B			
C			
D			
Total Points			

3 Strikes Yer Out Rules

- 1) Each worksheet has 1-3 problems. After you are done, bring up the one you finished for grading.
- 2) You must *work together* so that each group member is at the same pace.

****Note: Hitchhiking is illegal in Calculus!!****

- 3) When your **whole group** is finished with the worksheet, one person should bring **ALL** worksheets to check with me. Bring your *score sheet* with you!!

4) Scoring:

- If your group gets **ALL** problems correct the first time, you will receive 3 points (to be written on the score sheet).
- Otherwise, you will have to take your sheet, go back, and correct them....on the second time, you will receive 2 points.
-on the third time...it's a HIGH FIVE FOR YOU!!

Good Luck!!